University of London

## QHP4701 <br> Introduction to Data Science Programming

Function: Program Development

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## Lecture Outline

Control flow tools

- Condition with sequences
- Condition with sequences with 'in' operator

Function Definition

- Function Definition and arguments
- Function Definition: calling
- Function Definition: arguments/returns
- Modular Approach in Programming
- Function Definition: Recursion


## Conditions with sequences: List, Tuple

- Sequence data types in python are: list, tuple, dict, and set.
- List
- For given two lists, we can test if they are equal or not using '=='

```
x = [3, 10, 10, 50]
y = [3, 10, 50]
if x==y:
    print('x and y are same')
```

- Operators like >, <, >=, <= are not applicable for lists or strings
- Tuple: Two tuples can be testes for equality (same as list)


## Conditions with sequences: Dictionaries

- Dictionaries: dict
- For given two dictionaries, we can test if they are equal or not using '=='

```
x = {'A':1, 'B':2, 'C':3}
y = {'A':1, 'B':2, 'C':4}
if x==y:
    print('x and y are same')
```

- We can also check two dictionaries have same length and same keys

```
if len(x) == len(y):
    print('x and y have same length')
```

```
if x.keys() == y.keys():
    print('x and y have same keys')
```


## Conditions with sequences: Sets

- Sets: set
- For given two sets, we can test equality, and exclusion '==', '>', '<',
- $A==B \quad$ if $A$ is equal to $B$
- $A<B$ if $A$ is proper subset of $B$
- $A<=B$ if $A$ is subset of $B$
- $A>B$. If $A$ is proper superset of $B$
- $A>=B$. If $A$ is superset of $B$


```
x = set([1,2,2,2,3])
y = set([2,1,1,3])
if x == y:
    print('x and y are same')
```


## Conditions with sequences: Sets

- Set: question

$$
\begin{aligned}
& A=\operatorname{set}([1,2,2,2,3]) \\
& B=\operatorname{set}([2,1,1,3]) \\
& C=\operatorname{set}([2,1,3,4,4])
\end{aligned}
$$

- $A==B \quad$ if $A$ is equal to $B$
- $A<B \quad$ if $A$ is proper subset of $B$
- $A<=B$ if $A$ is subset of $B$
- $A>B$. If $A$ is proper superset of $B$
- $A>=B$. If $A$ is superset of $B$
- Check which one is subset of which and proper subset of which
- Is $A$ subset of $B$ and $C$ ?
- Is $B$ subset of $A$ and $C$ ?
- Is C subset of $A$ and $B$ ?


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## Conditions with sequences: 'in'

- In Python, in operator allows you to test, whether an element is in given sequences, which can be a list, tuple, set or keys of a dictionary

```
if 1 in x1:
    print('1 is in x1')
if 1 in x2:
    print('1 is in x2')
```

```
if 1 in x4.keys():
```

if 1 in x4.keys():
print('1 is in x4')

```
    print('1 is in x4')
```

$x 1=[1,2,3]$
$x 2=(1,2,3)$
$x 3=\operatorname{set}([1,2,2,2,3])$
x4 = \{1:'A', 2:'B', 3:'C'\}
if 1 in x 4 :
print('1 is in $x 4$ ')

## Conditions with sequences: 'in '

 $x \in Y$- in operator is useful to avoid errors and create dynamic sequences
- Before looking index of an element, test if it is in the list
- Create new key-value pair in dictionary, only if it doesn't exist

```
x = ['A', 'B', 'C', 'G']
if 'K' in x:
    idx = x.index('K')
    print('K is in x at location',idx)
```

$$
\begin{aligned}
& y=\{' A ': 1, \quad \text { 'B':2, 'C':3\} } \\
& \text { if 'D' not in } y: \\
& y[' D ']=4
\end{aligned}
$$

## Conditions with sequences: 'in' $x \in Y$

- Question
- Given a sentence
$S=$ 'set theory is one of the greatest achievements of modern mathematics'
- Create a dictionary that tells the frequency of all the vowels in the sentence $S$

The output should look something like this:

```
freq_vowels = {'a':10, 'e':12, 'i':2, 'o':5, 'u':0}
```


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## Defining a function

- To reuse a block of code, a function can be created, then it can be called anywhere in the script.

```
def myfun():
    print('Welcome to my code')
```

myfun()


## Defining a function <br> Arguments and returns

- A function can have input and output arguments.



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## Defining a function Calling a function

- Calling a function

```
def myfun(x, y):
    z = (x**2 - y**2)
    return z
```

- Positional arguments: the order the position should be same as function definition

```
Z = myfun(2,3) #here }x=2,y=
Z = myfun(3,2) #here }x=3,y=
```

- Argument with names: while passing arguments with names, the order doesn't matter

$$
\begin{aligned}
& Z=\operatorname{myfun}(x=2, \quad y=3) \\
& Z=\operatorname{myfun}(y=3, x=2)
\end{aligned}
$$

## Defining a function: Question

- Question
- Create a function that returns grade of student for
 given marks M according to table

| Marks | Grade |
| :---: | :---: |
| Above 90 | A |
| Between 80 to 90 | B |
| Between 70 to 80 | C |
| Between 50 to 70 | D |
| Below 50 | F |

```
def Grading(M):
    pass
```

return G
Grad $=\operatorname{Grading}(\mathrm{M})$

## Defining a function: Question

- Question

- Create a function that add all the numbers in a list, and avoid None and any strings

For example
$X=[1,2,3$, None, $0,4,2$, None, 'A']
$Z=\operatorname{mySum}(X)$
$Z=12$

```
def mySum(X):
    pass
```

return Z

## Defining a function : Question

- Question

- Create a function that returns a dictionary that has the frequency of each character ( $a-z$ ) for given a string excluding space, number and any symbols

For example

```
def Freq_Char(S):
    Freq = {}
    pass
- \(S\) = 'set theory is one of the greatest achievements of modern mathematics'

Freq = Freq_Char(S)

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\section*{Defining a function Default arguments}
- A function can inputs with default values.

```

def myfun(x, y=0):
z = (x**2 - y**2)
return z
Z = myfun(2)
Z = myfun(2, y=3)
z = myfun( }x=2,y=3
z = myfun( }\textrm{y}=3,2\mathrm{ )

```

\section*{Defining a function Multiple input/output}
- A function can multiple inputs and outputs.
\[
\begin{aligned}
& \text { def } m y f u n(x 1, x 2, x 3=0): \\
& \quad y 1=\left(x 1^{* * 2}+x 2^{* * 2}+x 3^{* *} 2\right) \\
& y 2=\left(x 1^{* * 2}-x 2^{* * 2}-x 3^{* *}\right) \\
& \text { return } y 1, y 2
\end{aligned}
\]
\[
y 1, y 2=\operatorname{myfun}(2,3,4)
\]


\section*{Defining a function : Question}
- Question

Given a list \(X\) as follow.
\(X=[0.1,3.5,5.0,10,0.5,0.3\), None, \(0.1,6.0,10.4,6.2,7,8.9,1]\)
```

def sum_cat(X):

```
    \(y 1, y 2, y 3=0,0,0\)
    pass
    return \(\mathrm{y} 1, \mathrm{y} 2, \mathrm{y} 3\)

Write a piece of code to
- Add all the numbers in X2 which are below 1 (including 1), save them to variable name 'y1'
- Add all the numbers in X2 which are above \(\mathbf{1}\) and below \(\mathbf{6}\) (including 6), save them to variable name 'y2'
- Add all the numbers in X2 which are above 6 (excluding 6), save them to variable name 'y3'

\section*{Defining a function Multiple return statement}
- A function can multiple return statements, however function exist when it seems return.
```

def myfun(x, y=0):
if x==0:
return 0
z = (x**2 - y**2)
return z
z= myfun(0)

```
    It is a good practice
    to write docstring
for a defined
function.

\section*{Defining a function: Question}
- Question
- Use multiple return statement in following

```

def Grading(M):
if M>=90:
return 'A'
return 'F'

```
\begin{tabular}{|c|c|}
\hline Marks & Grade \\
\hline Above 90 & A \\
\hline Between 80 to 90 & B \\
\hline Between 70 to 80 & C \\
\hline Between 50 to 70 & D \\
\hline Below 50 & F \\
\hline
\end{tabular}

Grad \(=\operatorname{Grading}(\mathrm{M})\)

\section*{Defining a function Docstring}
- A function can docstring that explains the functions operation.
which can be accessed by a user using help (myfun)
It is a good practice
to write docstring
def myfun( \(x, y=0\) ):

This function computes \(x^{\wedge} 2-y^{\wedge} 2\)
'.'
\(z=\left(x^{* *} 2-y^{* *} 2\right)\)
return z
for a defined
function.

help(myfun)

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\section*{Modular Approach in Programming}
- Modular approach to any task is a process of sub-dividing a bigger task into smaller one.
- Solving/completing smaller tasks first to complete the big task.
- It is a good practice to break a task in multiple smaller tasks.
- Each sub-task handles a specific operation


\section*{Defining a function Calling function in another function}
- A function can be called in another function.
```

def is_even(x):
if x%2==0:
return True
return False
def even_sum(X):
c = 0
for x in X:
if is_even(x)
c = c +x

## Modular Approach in Programming

It is a good practice to break a task in multiple smaller tasks.

## Defining a function: Question

## - Question

- Write a function to find $N$ prime numbers starting from 2
- Before that write a function to test if given number if prime

```
def prime_numbers(N):
    p = []
    pass #complete the code
        if is_prime (x):
        p.append(x)
```

```
def is_prime (x):
    pass #complete the code
    if cond:
        return True
    return False
```

$\mathrm{P}=$ prime_numbers(10)
$P=[2,3,5,7,11,13,17,19,23,29]$

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## Defining a function Calling function in itself

- A function can be called in by itself.


## Recursion

For example

- How do you compute factorial of $n$ ?

```
def factorial(n):
    if n==1:
        return 1
    else:
        return n*factorial(n-1)
```

$n!=n *((n-1)!)$

## Defining a function: Question

- Question
- Write a function to compute Fibonacci series

$$
F_{n}=F_{n-1}+F_{n-2}
$$

$F_{0}=0$

$F_{1}=1$
$[0,1,1,2,3,5,8,13,21 \ldots]$


- Next !!!
- 3.4: Visualisation with Matplotlib


