### Imperial College London

Introduction to Machine Learning & Deep Learning

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https://spkit.github.io/tutorials

### Agenda

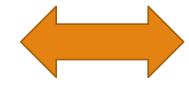
- Introduction
- What is (Machine) Learning?
- Types of Machine Learning Problems
  - Supervised Learning
    - Regression
    - Classification
    - Excercises and examples
    - Performance metrics
- Deeplearning
  - Neural Networks
  - Examples
  - Conclusion + Resouces

### About me ...

- Current work
- PhD Work
- What I like about Machine Learning and AI
- Activities
  - Consultant with deeplearning.ai
  - Mentor at Coursera
  - Competitions, Study groups, Certifications and Courses

# What is (machine) learning?

**Intelligent Systems** 



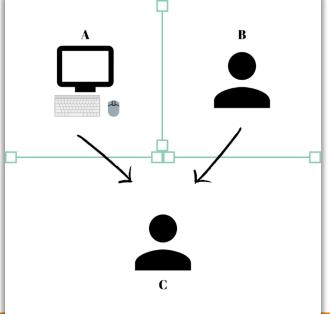
Data Analysis/Science or Statistical Analysis

- A way to design intelligent systems using data
- Early intelligent systems and algorithms were build by hand crafted rules.
- Designing a machine that learn from given data. Without hardcoding the rules.

# Artificial Intelligence



#### **Turing Test**



#### Fields in Artificial Intelligence

- Computer Vision
- Robotics
- Natural Language Processing
- Speech/Audio Processing
- Knowledge/Data Representation
- Machine Learning

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#### **Examples (classical)**

- Automatic face tagging
- Speech to text, Translation
- Face/emotion recognition
- Sentiment analysis
- Music classification
- Movie/product recommendation
- Search engine
- IoT
  - ... many more



## How do we do that?

### Data (signal)



### Computer(s)



# How do you know, if it is working?

- A machine is said to *learn* from experience E, with respect to task T and some performance measure P, if machine improves on task T, as measured by P, with respect to experience E. (Tom Mitchell (1998))\*.
- Properly formulating the a problem and choosing a performance measure
- One of the common mistakes that I encounter, that people overlook above definition or work with poorly formulated problem
- Good News: A lot of people, in this field have already done this part for you. You can start from textbook examples to well defined problems and performance measures.

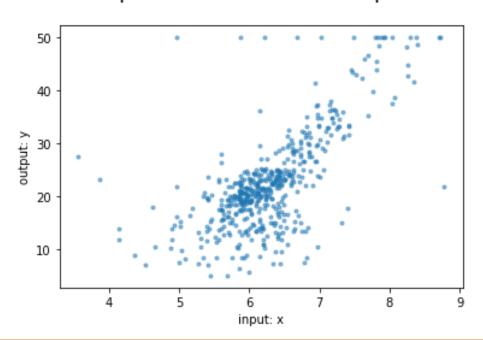
# Machine Learning Problems

- Supervised Learning
  - We know what we are looking for
- Unsupervised Learning
  - We want to find something meaningful
- Semi-supervised learning
  - Weakly supervised learning
- Reinforcement Learning & Recommender systems



Given data – X, and corresponding target value – y, think it as X,y problem. "X maps to y"

Examples: Boston House price\*



| 6.575 | 24.0 |
|-------|------|
| 6.421 | 21.6 |
| 7.185 | 34.7 |
| 6.998 | 33.4 |
| 7.147 | 36.2 |
| 6.43  | 28.7 |
| 6.012 | 22.9 |
| 6.172 | 27.1 |
| 5.631 | 16.5 |
| 6.004 | 18.9 |
|       |      |

| x1    | x2    | lу   |
|-------|-------|------|
| 6.575 | 4.98  | 24.0 |
| 6.421 | 9.14  | 21.6 |
| 7.185 | 4.03  | 34.7 |
| 6.998 | 2.94  | 33.4 |
| 7.147 | 5.33  | 36.2 |
| 6.43  | 5.21  | 28.7 |
| 6.012 | 12.43 | 22.9 |
| 6.172 | 19.15 | 27.1 |
| 5.631 | 29.93 | 16.5 |
| 6.004 | 17.1  | 18.9 |

$$X \in \mathbb{R}^n$$

\*from scikit-learn

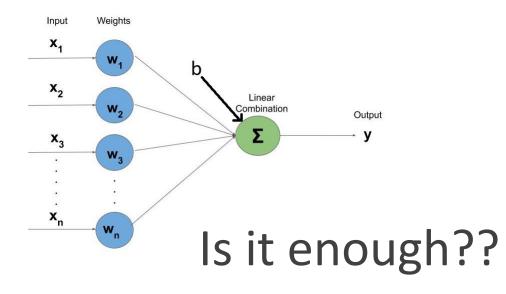
- Using LMS
- Using Gradient Decent

Let's try LMS

#### Problem (simplified way):

- Given X, y
- Find a function f, such that y = f(X)
- f: can be any function, linear, non-linear, etc
- Example: a linear function
  - $\circ$  y' = f(X)
  - $y' = b + w_1 x_1 + w_2 x_2 \dots w_n x_n$
  - Optimise parameters w
  - Such that  $y' \approx y$ , close enough\*
  - This is simply an optimisation problem







#### Difference between Learning and memorising

• A simple choice: f can be a look-up table, a perfect mapping of X to y Issue: wouldn't know what to do with new values of X (unseen data -  $X_u$ )

• Not so simple choice: f can be a very large and complex function (e.g. deeeeep neural network). Is it good?

Issue: lack of generality, wouldn't do good on unseen data  $X_u$ : Overfitting

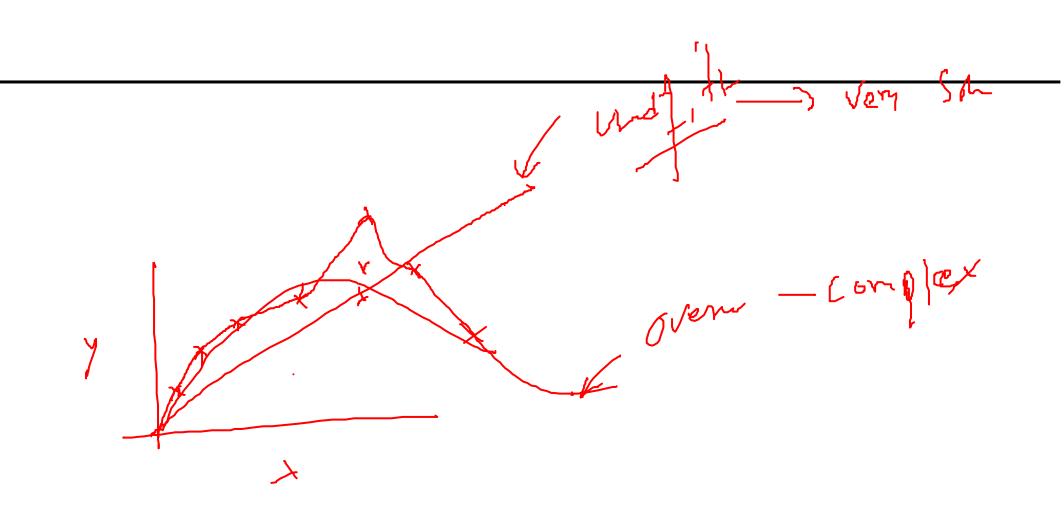
#### Solution: Problem (properly)

For given X, y, find function f as to

- Estimate/predict y' = f(X)
- Such that:
  - $min E[L(y'_u, y_u)]$
- for unseen data  $X_u$
- $L(y'_u, y_u)$ : Estimated risk / Loss

**Training data:** Data used to find optimise parameters

**Testing data:** Unseen data, used to evaluate the model (function) performance



### How does that work?

We split data (X, y) randomly to two sets

- Training set (Xt, yt)
- Testing set (Xs, ys)
- How much to split?
- Does this work?
- What can go wrong?
- Other strategies:
- .. K-Fold cross validation, LOOV,
- .. (train, validation/dev, test)

# Regression & Classification

Question: Can we treat classification problem as regression??

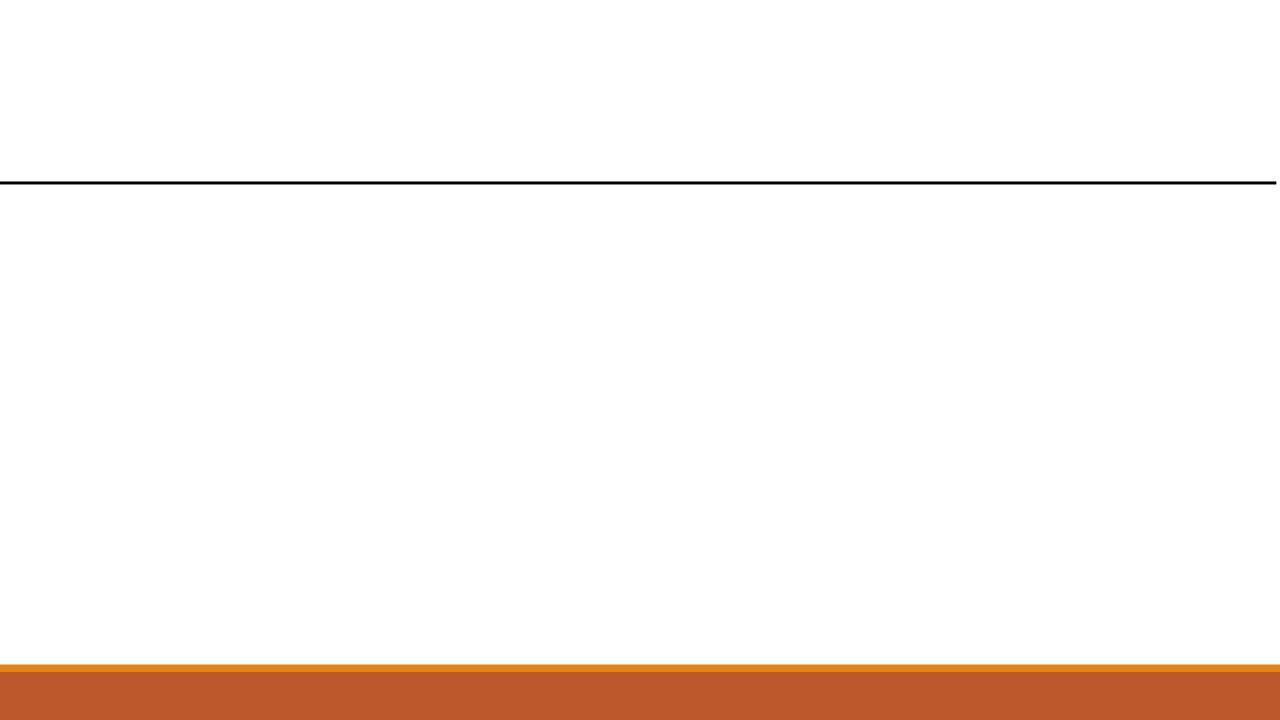
Supervised Learning: Regression & Classification

#### Regression:

- target (y) is continues variable y ∈ R
- - Example
  - Target: Housing price, blood sugar, temperature,

#### Classification:

- $\circ$  target (y) is categorical, or limited set of integers y  $\in$  [0, 1]
- - Examples:
  - Email-spam or not, cat & dog image, handwriting digits classification, Cancer or not etc



### Performance Measure & Loss function

#### Regression:

- Mean Square Error,  $L(y', y) = E[|y'-y|^2]$
- Mean Absolute Error L(y', y) = E[|y'-y|]
- R^2, Pearson correlation

#### Classification:

- Accuracy, E[(y'==y)]
- F1-score, precision, recall, AUC
- Diagnosis: Confusion Matrix, ROC, misclassification, learning curve (NN)
- Loss function: Cross-entropy, Hinge loss, logistic loss etc

Why so many measures?

Example: Binary Classification

**Breast cancer Classification:** 

- target y ∈ [0, 1]
- 30 features: X:

```
input xi :
   17.99
                10.38
                           122.8
                                      1001.
                                                     0.1184
                                                                  0.2776
    0.3001
                            0.2419
                                        0.07871
                0.1471
                                                    1.095
                                                                 0.9053
    8.589
              153.4
                            0.006399
                                        0.04904
                                                                 0.01587
                                                    0.05373
                0.006193
    0.03003
                           25.38
                                       17.33
                                                  184.6
                                                              2019.
                            0.7119
                                        0.2654
                                                                 0.1189
    0.1622
                0.6656
                                                    0.4601
```

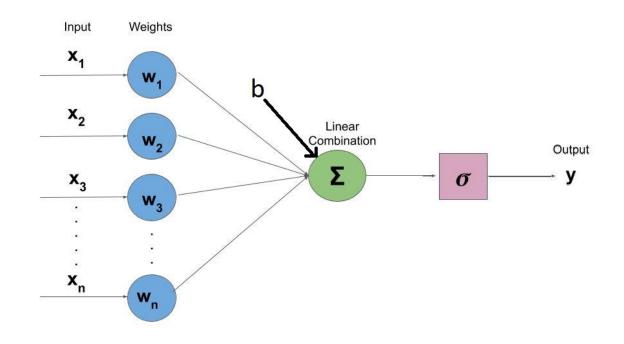
traget yi: 0

- Can we apply linear regression model?
- Kind-of, yes\* and No\*, until it is binary

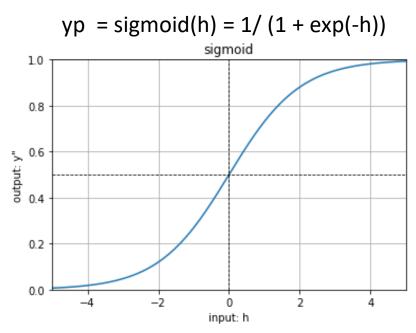
### **Binary Classification:**

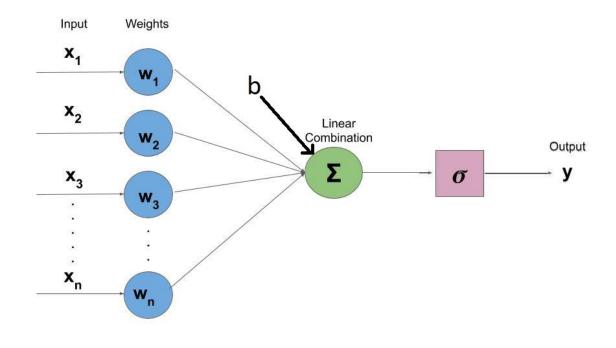
$$h = b + w_1 x_1 + w_2 x_2 \dots w_n x_n$$
  
y = 1 if h>0 else 0

How far h should be from 0? As far as possible  $y_p = sigmoid(h)$ 



#### Binary Classification:



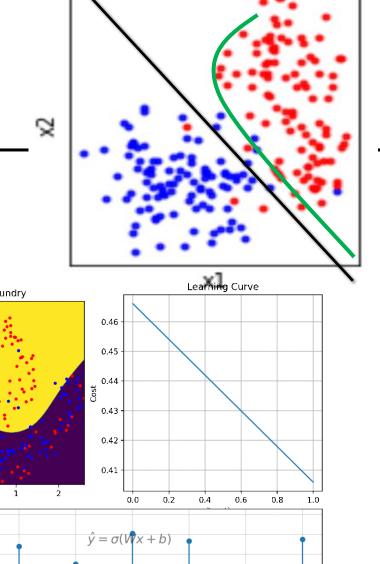


Loss 
$$L(y,y_p) = ylog(y_p) + (1-y)log(1-y_p)$$

**Binary Classification:** 

$$h = b + w_1 x_1 + w_2 x_2$$

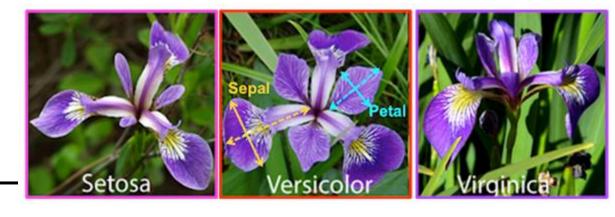
We need, **h**, a plane, in hyperdimensional space that separates two classes



-0.5

-1.5

- Example: Iris Dataset
- Features:
  - x1: sepal length (cm)
  - x2: sepal width (cm)
  - x3: petal length (cm)
  - x4: petal width (cm)
- Three classes:
  - Setosa, Versicolor, Virginica

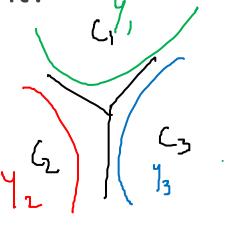


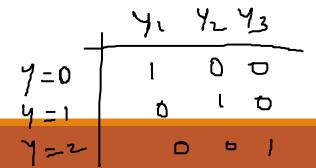
| x1  | x2  | <b>x</b> 3 | x4  | lу |
|-----|-----|------------|-----|----|
| 5.1 | 3.5 | 1.4        | 0.2 | 0  |
| 4.9 | 3.0 | 1.4        | 0.2 | 0  |
| 4.7 | 3.2 | 1.3        | 0.2 | 0  |
| 4.6 | 3.1 | 1.5        | 0.2 | 0  |
| 7.0 | 3.2 | 4.7        | 1.4 | 1  |
| 6.4 | 3.2 | 4.5        | 1.5 | 1  |
| 6.9 | 3.1 | 4.9        | 1.5 | 1  |
| 6.3 | 3.3 | 6.0        | 2.5 | 2  |
| 5.8 | 2.7 | 5.1        | 1.9 | 2  |
| 7.1 | 3.0 | 5.9        | 2.1 | 2  |

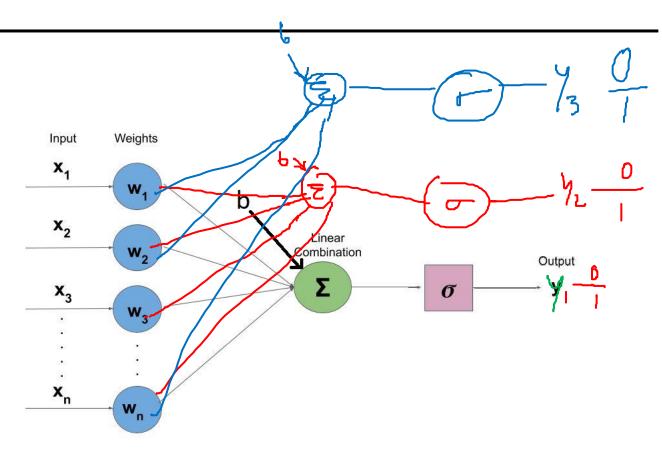
#### Iris dataset – Multi-class

- How do we do it?

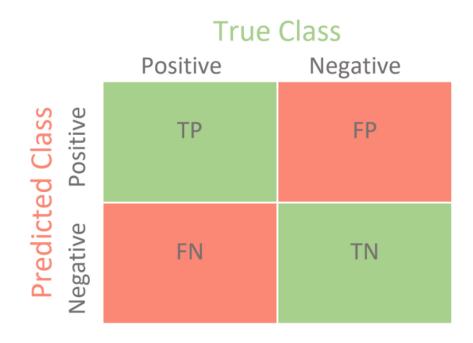
- one vs all

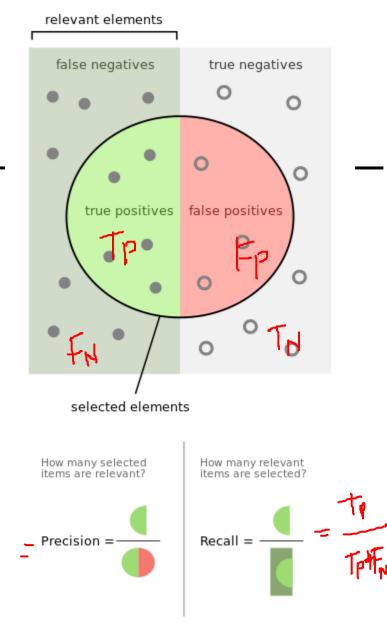






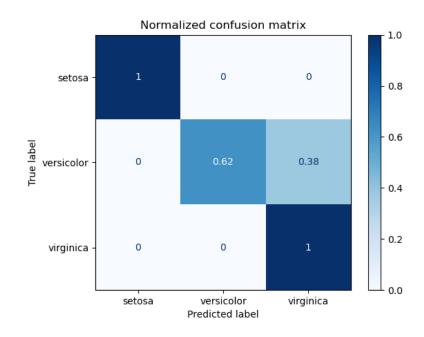
### Performance Metrics

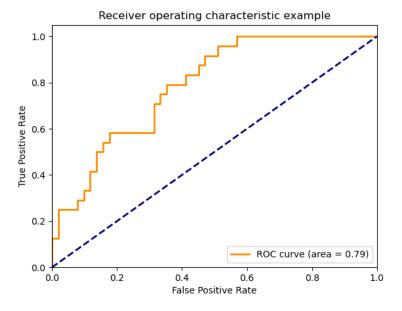




### Performance Metrics

Confusion matric is not always same as TP/FP table





# Normalising Features

#### Normalising:

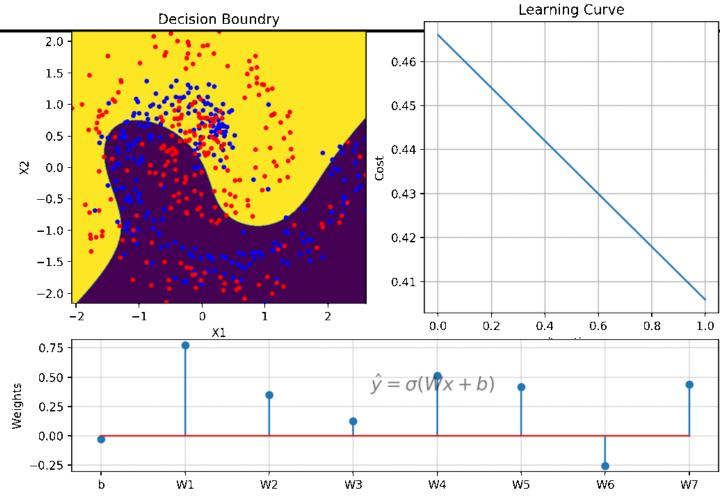
- When?
- Why?
- How?
- Mean cantered: Zero-mean, remove DC
- Scale Standard Deviation
- 0-1 normlisation

# Machine Learning Models

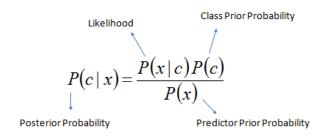
#### ML Models:

- Linear regression, Logistic Regression
- Support Vector Machine
- Decision Tree
- K-Nearest Neighbourhood (KNN)
- Naïve Bayes
- Ensemble Approach:
  - Random Forest
  - Gradient Booster
  - ExtraTree, AdaBoost

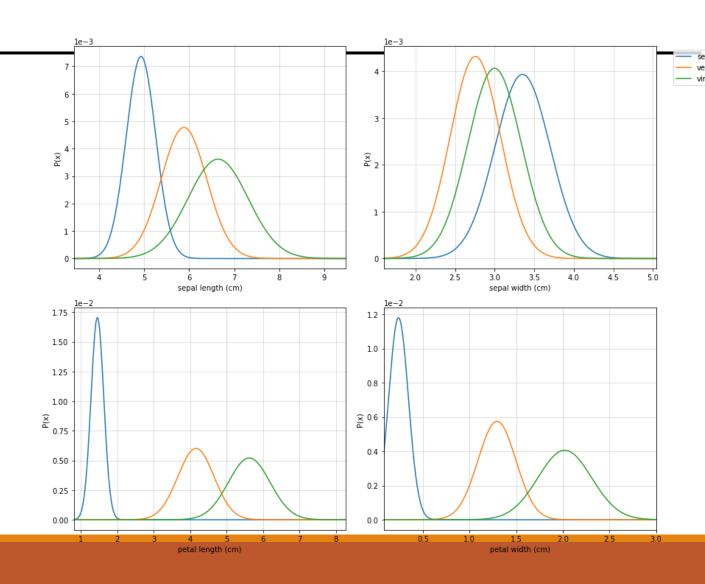
# Logistic Regression



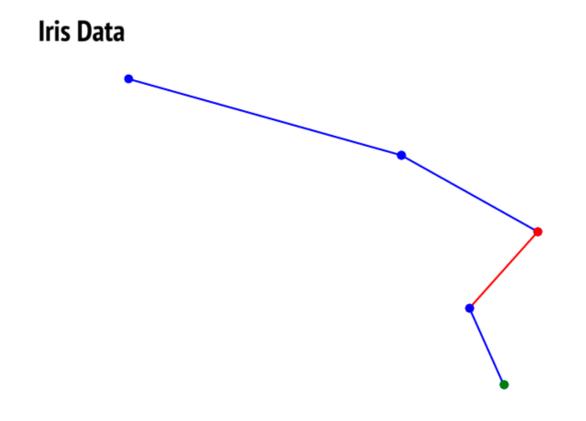
# Naïve Bayes



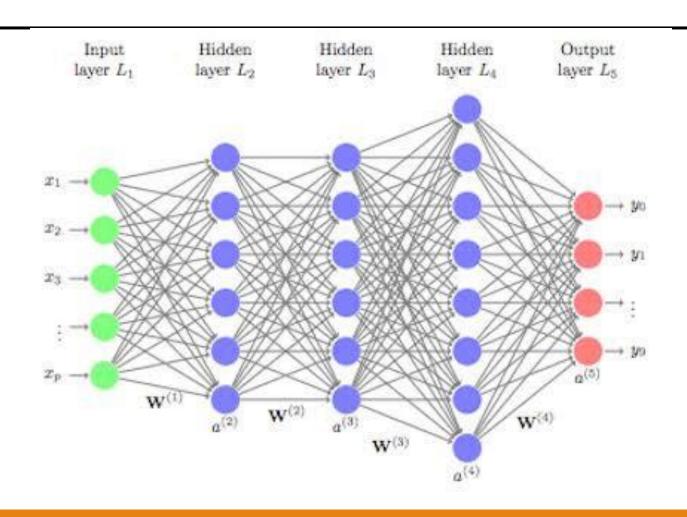
$$P(c \mid X) = P(x_1 \mid c) \times P(x_2 \mid c) \times \dots \times P(x_n \mid c) \times P(c)$$



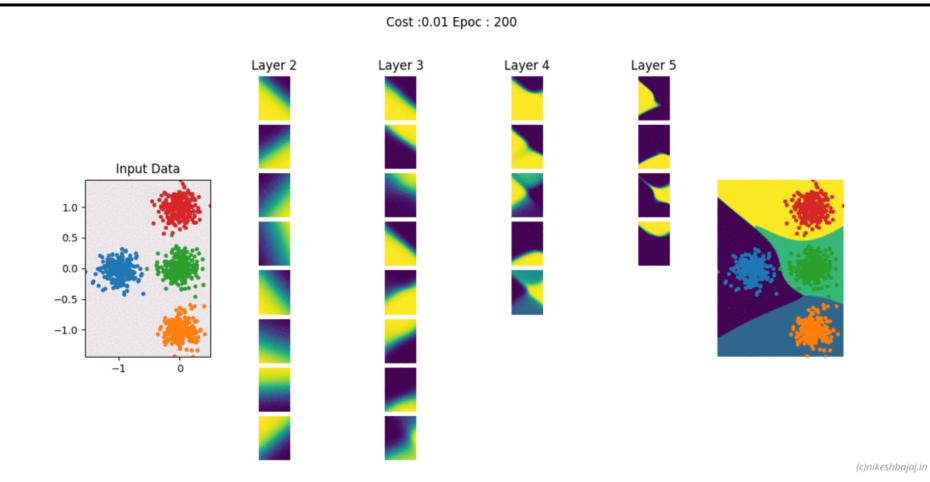
# **Decision Trees**



### Neural Network - Idea



# Neural Network



# Deeplearning

#### Deeplearning

- The deep\* learning refer to a family of models based on Neural Networks. It has following aspects w.r.t conventional ML models
  - End-to-end learning
  - Complex relationship of input-target
  - Proven to solve many problems, which were not easy with conventional ML
  - Large number of parameters, heavy,
  - Not as easy to explain as conv. ML models

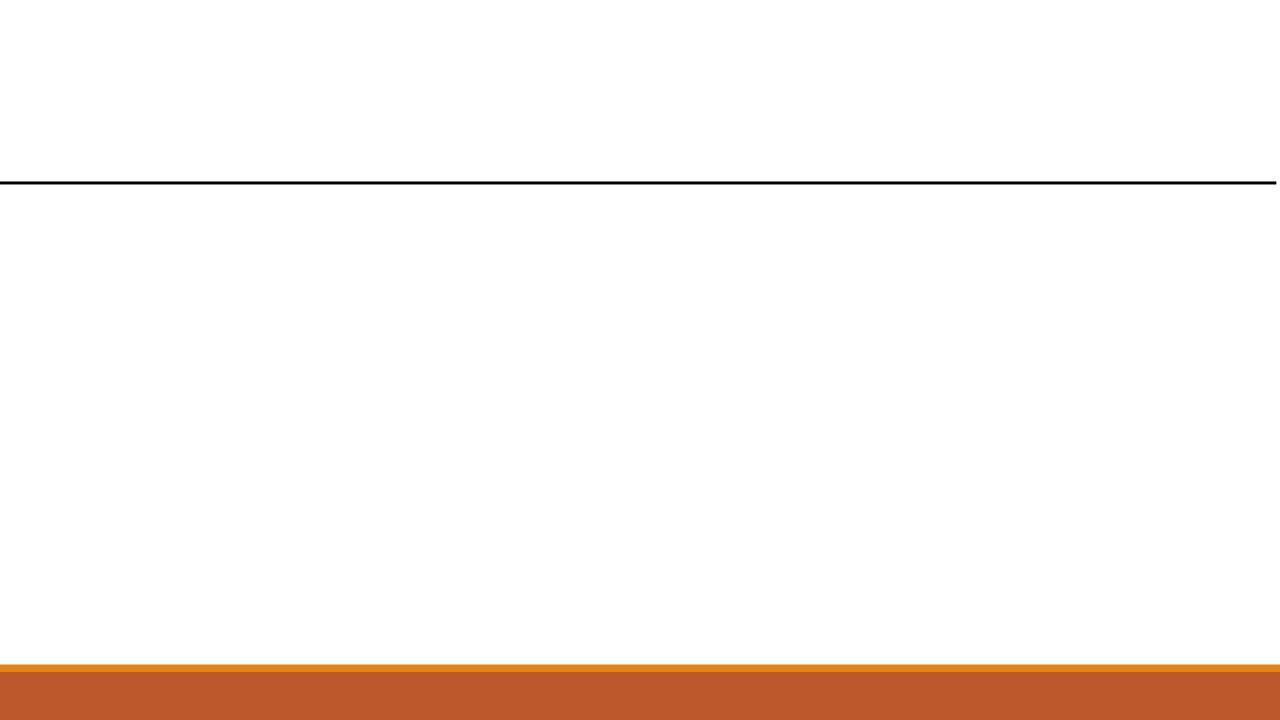
# Deeplearning

#### **Neural Network:**

- Fully Connected Neural Network (MLP)
- Convolutional Neural Network (CNN)
- Recurrent Neural Network (RNN) LSTM, GRU
- Generative Adversarial Networks (GANs)

# Example

Handwritten Digit Recognition:





Any Questions?